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## 2013-J-12:

- First and Second Law of Thermodynamics
- Calculate the activity (in Bq ) of a 1.00 g sample of ${ }^{137} \mathrm{Cs}^{131} \mathrm{I}$, if the half lives of the caesium and iodine are 30.17 years and 8.02 days respectively.

The molar mass of ${ }^{137} \mathrm{Cs}^{131} \mathrm{I}$ is $(137+131) \mathrm{g} \mathrm{mol}^{-1}=268 \mathrm{~g} \mathrm{~mol}^{-1}$. As each mole of ${ }^{137} \mathrm{Cs}^{131} \mathrm{I}$ contains one mole of ${ }^{137} \mathrm{Cs}$ and one moles of ${ }^{131} \mathrm{I}$ :

$$
\text { number of moles of } \begin{aligned}
{ }^{137} \mathrm{Cs} & =\text { number of moles of }{ }^{131} \mathrm{I}=\text { mass } / \text { molar mass } \\
& =1.00 \mathrm{~g} / 268 \mathrm{~g} \mathrm{~mol}{ }^{-1}=0.00373 \mathrm{~mol}
\end{aligned}
$$

Each mole contains Avogadro's number of nuclei so:

$$
\text { number of nuclei of } \begin{aligned}
{ }^{137} \mathrm{Cs} & =\text { number of nuclei of }{ }^{131} \mathrm{I}=\text { number of moles } \times N_{\mathrm{A}} \\
& =0.00373 \mathrm{~mol} \times 6.022 \times 10^{23} \mathrm{~mol}^{-1} \\
& =2.25 \times 10^{25}
\end{aligned}
$$

The activity coefficient, $\lambda$, is related to the half life, $t_{1 / 2}$, through $\lambda=\ln 2 / t_{1 / 2}$. Hence:

$$
\begin{aligned}
& \lambda\left({ }^{137} \mathrm{Cs}\right)=\ln 2 /(30.17 \times 365 \times 24 \times 60 \times 60 \mathrm{~s})=7.28 \times 10^{-10} \mathrm{~s}^{-1} \\
& \lambda\left({ }^{131} \mathrm{I}\right)=\ln 2 /(8.02 \times 24 \times 60 \times 60 \mathrm{~s})=1.00 \times 10^{-6} \mathrm{~s}^{-1}
\end{aligned}
$$

The activity, $A$, is related to the number of nuclei, $N$, through $A=\lambda N$ and so:

$$
\begin{aligned}
& A\left({ }^{137} \mathrm{Cs}\right)=\left(7.28 \times 10^{-10} \mathrm{~s}^{-1}\right) \times\left(2.25 \times 10^{25} \text { nuclei }\right)=1.64 \times 10^{12} \mathrm{~Bq} \\
& A\left({ }^{131} \mathrm{I}\right)=\left(1.00 \times 10^{-6} \mathrm{~s}^{-1}\right) \times\left(2.25 \times 10^{25} \text { nuclei }\right)=2.25 \times 10^{15} \mathrm{~Bq}
\end{aligned}
$$

As might have been anticipated from the relative sizes of the half lives, the activity is completely dominated by ${ }^{131} \mathrm{I}$ :

$$
\text { Overall activity }=A\left({ }^{137} \mathrm{Cs}\right)+A\left({ }^{131} \mathrm{I}\right)=2.25 \times 10^{15} \mathrm{~Bq}
$$

Answer: $\mathbf{2 . 2 5 \times 1 0}{ }^{\mathbf{1 5}} \mathbf{B q}$
Both nuclides in ${ }^{137} \mathrm{Cs}^{131}$ I are beta emitters, and the daughter nuclides are stable. Describe the sample after it has been melted and allowed to resolidify after
(a) 3 months and (b) 300 years.

The products formed by beta emission are:

$$
{ }_{55}^{137} \mathrm{Cs} \rightarrow{ }_{56}^{137} \mathrm{Ba}+{ }_{-1}^{0} \beta \quad{ }_{53}^{131} \mathrm{I} \rightarrow{ }_{54}^{131} \mathrm{Xe}+{ }_{-1}^{0} \beta
$$

The ${ }^{131}$ I decays to ${ }^{131} \mathrm{Xe}$ which, being a gas, escapes on melting.
(a) As the half life of ${ }^{131}$ I is only 8.02 days, after $\mathbf{3}$ months most of it will have decayed. As the half life of ${ }^{137} \mathrm{Cs}$ is 30.17 years, after 3 months little will have decay. The sample will be mainly ${ }^{137} \mathrm{Cs}$ with a little ${ }^{137} \mathrm{Ba}$.
(b) After 300 years, the sample will be mainly ${ }^{137}$ Ba with a little bit of ${ }^{137} \mathrm{Cs}$ remaining.

- Write down the ground state electron configurations for the following species. Na is given as an example.

| Na | $[\mathrm{Ne}] 3 s^{1}$ |
| :--- | :--- |
| K | $[\mathrm{Ar}] \mathbf{4} s^{1}$ |
| As | $[\mathrm{Ar}] \mathbf{4} s^{\mathbf{2}} \mathbf{3 d ^ { 1 0 }} \mathbf{4} p^{\mathbf{3}}$ |
| Sr | $[\mathrm{Kr}] 5 s^{2}$ |
| $\mathrm{C}^{+}$ | $[\mathrm{He}] \mathbf{2} \mathbf{2}^{\mathbf{2}} \mathbf{2 p ^ { 1 }}$ |

Name the elements described by the following configurations.
$[\mathrm{Kr}] 5 s^{2} 4 d^{6} \quad$ ruthenium
$[\mathrm{Xe}] 6 s^{2} 5 d^{1} 4 f^{11} \quad$ erbium

- The Periodic Table as arranged by Mendeleev allows us to make predictions about the behaviours of elements based on those around them. Briefly describe why the Periodic Table works?

The Periodic Table groups atoms into:

- Groups (columns) based on the number of valence electrons they have and on the occupation of these electrons in $s, p, d$ and $f$ sub-shells, and
- Periods (rows) based on the shell and sub-shell.

Chemical reactivity is based on the number of valence electrons and the size of the element. Elements in the same group have similar chemical properties as they have the same number of valence electrons. Differences in the reactivity of elements in the same group are due to their size - elements get larger down each group leading to decreased electronegativity.

## THIS QUESTION CONTINUES ON THE NEXT PAGE.

Carbon, silicon, germanium and tin all adopt the diamond structure. Diamond has a band gap of 5.5 eV , while silicon absorbs wavelengths shorter than 1100 nm . Predict the band gaps of germanium and tin.

Tin is a metal. It is a conductor with no band gap.
The longest wavelength, $\lambda$, absorbed by silicon is 1100 nm . This corresponds to the minimum energy required to excite an electron: the band gap. The energy, $E$, is related to $\lambda$ through Planck's equation $E=h c / \lambda$.
The band gap in silicon is therefore:

$$
\begin{aligned}
E & =h c / \lambda=\left(6.626 \times 10^{-34} \mathrm{~J} \mathrm{~s}\right) \times\left(2.998 \times 10^{8} \mathrm{~m} \mathrm{~s}^{-1}\right) /\left(1100 \times 10^{-9} \mathrm{~m}\right) \\
& =1.8 \times 10^{-19} \mathrm{~J}
\end{aligned}
$$

As $1 \mathrm{eV}=1.602 \times 10^{-19} \mathrm{~J}$, this corresponds to:

$$
E=\left(1.8 \times 10^{-19} / 1.602 \times 10^{-19}\right) \mathrm{eV}=1.1 \mathrm{eV}
$$

The band gap decreases down the group: $5.5 \mathrm{eV}(\mathrm{C}), 1.1 \mathrm{eV}(\mathrm{Si})$ and $0 \mathrm{eV}(\mathbf{S n})$. The band gap in germanium will be between that for Si and Sn , around the average of 0 and 1.1 eV .

Predict the band gap of SiC , which also has a diamond like structure, but with Si bonded to 4 C atoms, and C bonded to 4 Si atoms.

It will be around an average of the values for C and Si :
predicted band gap $=1 / 2(5.5+1.1) \mathrm{eV}=3.3 \mathrm{eV}$

Use the information in the following table to predict the density of tin.

| Element | Atomic Mass | Density $\left(\mathbf{g ~ c m}^{\mathbf{- 3}}\right)$ | Bond length (pm) |
| :---: | :---: | :---: | :---: |
| Ge | 72.64 | 5.323 | 244 |
| Sn | 118.7 |  | 280. |

Density depends on the mass and the volume:
density $=$ mass $/$ volume
The volume of a crystal will increase as the cube of the bond length:
volume of tin $=(\mathbf{2 8 0} / \mathbf{2 4 4})^{3} \times$ volume of germanium
The mass will increase as the atomic mass increases:
mass of $\mathrm{tin}=(118.7 / 72.64) \times$ mass of germanium
As the density of germanium is $5.323 \mathrm{~g} \mathrm{~cm}^{-3}$, the density of tin will therefore be:
density of tin $=$ density of germanium $\times(\mathbf{1 1 8 . 7} / \mathbf{7 2 . 6 4}) /(\mathbf{2 8 0} / 244)^{3}$

$$
=5.323 \mathrm{~g} \mathrm{~cm}^{-3} \times(118.7 / 72.64) /(280 / 244)^{3}=5.76 \mathrm{~g} \mathrm{~cm}^{-3}
$$

Answer: $\mathbf{5 . 7 6} \mathbf{g ~ c m}^{-3}$

- Oxygen exists in the troposphere as a diatomic molecule.

(a) Using arrows to indicate relative electron spin, fill the left-most valence orbital energy diagram for $\mathrm{O}_{2}$, obeying Hund's Rule.
(b) Indicate on the right-most valence orbital energy diagram the lowest energy electronic configuration for $\mathrm{O}_{2}$ which has no unpaired electrons.

Suggest a heteronuclear diatomic species, isoelectronic with $\mathrm{O}_{2}$, that might be expected to have similar spectroscopic behaviour.

$$
\mathbf{N O}^{-}, \mathbf{N F}
$$

The blue colour of liquid $\mathrm{O}_{2}$ arises from an electronic transition whereby one 635 nm photon excites two molecules to the state indicated by the configuration in (b) at the same time. What wavelength photon would be emitted by one molecule returning from this state to the ground state?

635 nm excites two molecules. The energy emitted by one molecule will be half as much required to excite two molecules.
Energy, $E$, is inversely related to the wavelength, $\lambda$, through Plank's equation:

$$
E=h c / \lambda
$$

Hence, if the energy is halved, the wavelength is doubled: $2 \times 635 \mathrm{~nm}=1270 \mathrm{~nm}$.

The density of liquid oxygen is $1.141 \mathrm{~g} \mathrm{~cm}^{-3}$. Calculate its molarity and compare to the molarity of oxygen in air. Air consists of $21 \%$ oxygen.

As density = mass / volume, the mass of 1 litre of liquid oxygen is:

$$
\text { mass }=\text { density } \times \text { volume }=\left(1.141 \mathrm{~g} \mathrm{~cm}^{-3}\right) \times\left(1000 . \mathrm{cm}^{3}\right)=1141 \mathrm{~g}
$$

The molar mass of $O_{2}$ is $2 \times 16.00 \mathrm{~g} \mathrm{~mol}^{-1}=32.00 \mathrm{~g} \mathrm{~mol}^{-1}$. This mass therefore corresponds to:

$$
\text { number of moles }=1141 \mathrm{~g} / 32.00 \mathrm{~g} \mathrm{~mol}^{-1}=35.67 \mathrm{~mol}
$$

As this is the number of moles in a litre, the molarity is $35.67 \mathrm{~mol} \mathrm{~L}^{-1}$.
From the data sheet, 1 mole of an ideal gas at 1 atm and $25^{\circ} \mathrm{C}$ occupies 24.5 L . As $21 \%$ of the air is oxygen, 0.21 mol of oxygen occupies 24.5 L . The concentration is therefore:

$$
\begin{aligned}
\text { concentration } & =\text { number of moles } / \text { volume } \\
& =0.21 \mathrm{~mol} / 24.5 \mathrm{~L}=8.6 \times 10^{-3} \mathrm{~mol} \mathrm{~L}^{-1}
\end{aligned}
$$

| $\left[\mathrm{O}_{2}(\mathrm{l})\right]: \mathbf{3 5 . 6 7} \mathbf{~ m o l ~ L}^{-1}$ | $\left[\mathrm{O}_{2}(\mathrm{~g})\right]: \mathbf{8 . 6} \times \mathbf{1 0}^{-\mathbf{3}} \mathbf{~ m o l ~ L}^{-\mathbf{1}}$ |
| :--- | :--- |

A 50.0 mL sample of liquid oxygen is transferred to an evacuated 1.25 L container and allowed to warm to room temperature $\left(25^{\circ} \mathrm{C}\right)$. What is the final pressure inside the container?

As the molarity of liquid oxygen is $35.67 \mathrm{~mol} \mathrm{~L}^{-1}, 50.0 \mathrm{~mL}$ of liquid oxygen corresponds to:

$$
\begin{aligned}
\text { number of moles } & =\text { concentration } \times \text { volume } \\
& =\left(35.67 \mathrm{~mol} \mathrm{~L}^{-1}\right) \times(0.0500 \mathrm{~L})=1.783 \mathrm{~mol}
\end{aligned}
$$

When this amount becomes a gas in a container with $V=1.25 \mathrm{~L}$, the pressure will be:

$$
\left.\left.\begin{array}{rl}
P & =n R T / V \\
& =(1.783 \mathrm{~mol}) \times(0.08206 \mathrm{~L} \mathrm{~atm} \mathrm{~K} \\
& =34.9 \mathrm{~mol}
\end{array}\right) \times((25+273) \mathrm{K}) /(1.25 \mathrm{~L})\right)
$$

- Complete the following table on the given oxides of nitrogen. Indicate the charge on all atoms with non-zero formal charge.

| Molecule | Lewis Structure | Shape of molecule |
| :---: | :---: | :---: |
| $\mathrm{NO}_{2}$ |  | bent |
| $\mathrm{N}_{2} \mathrm{O}$ | $: \mathrm{N}=\stackrel{\oplus}{\mathrm{N}}-\ddot{\mathrm{O}}: \stackrel{\ominus}{\bullet} \quad \longleftrightarrow \quad \stackrel{\ominus}{\because} \mathrm{N}=\stackrel{\oplus}{\mathrm{N}}=\ddot{\mathrm{O}}$ | linear |
| $\mathrm{NO}_{3}$ |  | trigonal planar |

THE REMAINDER OF THIS PAGE IS FOR ROUGH WORKING ONLY

- The atmosphere of Venus contains $96.5 \% \mathrm{CO}_{2}$ at 95 atm of pressure, leading to an average global surface temperature of $462^{\circ} \mathrm{C}$. The energy density of solar radiation striking Venus is $2625 \mathrm{~J} \mathrm{~m}^{-2} \mathrm{~s}^{-1}$. The radius of Venus is 6052 km , and the average albedo (the fraction of solar radiation reflected back into space) of its surface is 0.90 . Calculate the magnitude of the greenhouse effect on Venus.

An albedo of $\mathbf{0 . 9 0}$ means that $\mathbf{9 0 \%}$ of the solar energy is reflected and only $\mathbf{1 0 \%}$ is available to heat the planet. If Venus has a radius $R$, the energy input from the Sun is:

$$
E_{\mathrm{in}}=\left(2625 \times \pi R^{2} \times 0.10\right) \mathrm{J}
$$

The energy output from the surface area $4 \pi R^{2}$ is:

$$
E_{\text {out }}=\left(4 \pi R^{2} \times 5.67 \times 10^{-8} \times \mathrm{T}^{4}\right) \mathrm{J}
$$

At equilibrium, the energy input and output are equal and so the temperature can be calculated:

$$
\begin{aligned}
& 2625 \times \pi R^{2} \times 0.10=4 \pi R^{2} \times 5.67 \times 10^{-8} \times T^{4} \\
& T^{4}=0.10 \times 2625 /\left(4 \times 5.67 \times 10^{-8}\right) K \quad \text { so } T=184 K
\end{aligned}
$$

As the actual temperature on Venus is $462{ }^{\circ} \mathrm{C}=735 \mathrm{~K}$, the magnitude of the greenhouse effect is:

$$
\text { greenhouse effect }=(735-185) K=551 K
$$

Answer: $\mathbf{5 5 1} \mathbf{K}$
The main absorption bands of $\mathrm{CO}_{2}$ lie in the energy range $600-750 \mathrm{~cm}^{-1}$. What range of wavelengths (in nm ) corresponds to this energy range?
$600 \mathrm{~cm}^{-1}$ corresponds to a wavelength of $(1 / 600) \mathrm{cm}=0.00167 \mathrm{~cm}$. As $1 \mathrm{~cm}=0.01$ m and $1 \mathrm{~nm}=10^{-9} \mathrm{~m}$, this corresponds to 16700 nm .
$750 \mathrm{~cm}^{-1}$ corresponds to a wavelength of $(1 / 750) \mathbf{c m}=0.00133 \mathbf{c m}$. As $\mathbf{1} \mathbf{~ c m}=0.01$ m and $1 \mathrm{~nm}=10^{-9} \mathrm{~m}$, this corresponds to 13300 nm .

ANSWER CONTINUES ON THE NEXT PAGE

Sketch the emission spectrum of Venus on the axes below. Note the wavelength of maximum intensity, and point out any other important features.

The wavelength corresponding to the intensity maximum is given by Wien's displacement law:
$T \lambda_{\text {max }} \approx 2.898 \times 10^{6} \mathrm{~K} \mathrm{~nm}$
Using $T=735 \mathrm{~K}, \lambda_{\text {max }} \approx\left(\mathbf{2 . 8 9 8} \times 10^{6} \mathrm{~K} \mathrm{~nm}\right) /(\mathbf{7 3 5} \mathrm{K})=3940 \mathrm{~nm}$


- The structural formula of nitroglycerine, $\mathrm{C}_{3} \mathrm{H}_{5} \mathrm{~N}_{3} \mathrm{O}_{9}$, is shown below.


The boiling point of nitroglycerine is $50^{\circ} \mathrm{C}$. What is the most important type of intermolecular force contributing to keeping nitroglycerine in the liquid state at room temperature, and which atoms in particular are involved?

Dipole-dipole forces involving N and O . The $\mathrm{N}-\mathrm{O}$ bonds are very polar.

Write a balanced equation for the explosive decomposition of liquid nitroglycerine.
The products are water, carbon dioxide, nitrogen and oxygen.
$2 \mathrm{C}_{3} \mathrm{H}_{5} \mathrm{~N}_{3} \mathrm{O}_{9}(\mathrm{l}) \rightarrow \mathbf{5} \mathrm{H}_{2} \mathrm{O}(\mathrm{g})+\mathbf{6} \mathrm{CO}_{2}(\mathrm{~g})+\mathbf{3} \mathrm{N}_{2}(\mathrm{~g})+1 / 2 \mathrm{O}_{\mathbf{2}}(\mathrm{g})$

The standard enthalpy change associated with this explosive decomposition is $-1414 \mathrm{~kJ} \mathrm{~mol}^{-1}$. What other factor(s) would contribute to the free energy released in the decomposition of nitroglycerine?

As $\Delta G=\Delta H-T \Delta S$, a highly negative value for $\Delta G$ can arise through a highly negative $\Delta H$ value (as here) and also a positive $\Delta S$ value.

In the reaction, each mole of liquid reactant is converted into 7.25 mol of gases. This gives a highly positive $\Delta S$ value.

Briefly describe a calorimetry experiment that could reliably measure the enthalpy of decomposition of nitroglycerine.

A bomb calorimeter (i.e. a constant volume calorimeter) of known heat capacity would be used.
It would be charged with a known amount of water and nitroglycerine, which is then decomposed. By measuring the temperature of the water in the calorimeter before and after decomposition, the enthalpy change for the reaction can be calculated.

- The vapour pressure of mercury above its liquid at $25^{\circ} \mathrm{C}$ is 0.265 Pa . Calculate the free energy of formation (in $\mathrm{kJ} \mathrm{mol}^{-1}$ ) of gaseous mercury at $25^{\circ} \mathrm{C}$.

Vapourisation corresponds to the process $\mathbf{H g}(\mathbf{l}) \rightarrow \mathbf{H g}(\mathrm{g})$. As pure liquids do not appear in equilibrium constant expressions, for this process the equilibrium constant expression in terms of partial pressures is:

$$
K_{\mathrm{p}}=P_{\mathrm{Hg}(\mathrm{~g})}=0.265
$$

Using $\Delta G^{0}=-R T \ln K_{\mathrm{p}}$ :

$$
\begin{aligned}
\Delta G^{0} & =-\left(8.314 \mathrm{~J} \mathrm{~K}^{-1} \mathrm{~mol}^{-1}\right) \times((25+273) \mathrm{K}) \times \ln (0.265) \\
& =+3300 \mathrm{~J} \mathrm{~mol}^{-1}=+3.3 \mathrm{~kJ} \mathrm{~mol}^{-1}
\end{aligned}
$$

Answer: $\mathbf{+ 3 . 3} \mathbf{~ k J ~ m o l}^{-1}$
THE REMAINDER OF THIS PAGE IS FOR ROUGH WORKING ONLY

- The principal chemical reaction in the Hall process, used to refine aluminium from its oxide, is:

$$
\mathrm{Al}_{2} \mathrm{O}_{3}(\text { in molten cryolite })+3 \mathrm{C}(\mathrm{~s}) \rightarrow 2 \mathrm{Al}(\mathrm{l})+3 \mathrm{CO}(\mathrm{~g})
$$

The free energy change for this reaction is $\Delta G^{\circ}=594 \mathrm{~kJ} \mathrm{~mol}^{-1}$ at $1000^{\circ} \mathrm{C}$.
Recycling aluminium essentially only requires enough energy to melt it. The melting point of aluminium is $660^{\circ} \mathrm{C}$, its heat of fusion is $10.7 \mathrm{~kJ} \mathrm{~mol}^{-1}$ and its heat capacity is $0.900 \mathrm{~J} \mathrm{~K}^{-1} \mathrm{~g}^{-1}$. Calculate the percentage of energy saved by recycling aluminium $v s$. refining it from $\mathrm{Al}_{2} \mathrm{O}_{3}$. (Assume that the ambient temperature is $25^{\circ} \mathrm{C}$.)

To recycle aluminium requires energy to (i) heat it from $25^{\circ} \mathrm{C}$ to $660^{\circ} \mathrm{C}$ and (ii) the energy to melt it.
(i) The mass of 1 mol of $\mathrm{Al}(\mathrm{s})$ is 26.98 g . The heat required to heat this quantity from 25 to $660^{\circ} \mathrm{C}$ is therefore:

$$
\begin{aligned}
q & =m C \Delta T=(26.98 \mathrm{~g}) \times\left(0.900 \mathrm{~J} \mathrm{~K}^{-1} \mathrm{~g}^{-1}\right) \times((660-25) \mathrm{K}) \\
& =15400 \mathrm{~J}=15.4 \mathrm{~kJ}
\end{aligned}
$$

(ii) The energy required to melt it is equal to the heat of fusion: 10.7 kJ .

The total energy required is therefore $(10.7+15.4) \mathrm{kJ}=26.1 \mathrm{~kJ}$
From the chemical equation, 594 kJ will form 2 mol of Al so 297 kJ will form 1 mol.

The percentage energy saved is:

$$
\text { percentage saved }=(297-26.1) / 297 \times 100 \%=91 \%
$$

Answer: 91\%
THE REMAINDER OF THIS PAGE IS FOR ROUGH WORKING ONLY

- Differential scanning calorimetry (DSC) is an experimental technique that measures the temperature of a sample as a function of the heat supplied to it. Negative or positive peaks on a DSC curve therefore indicate endothermic or exothermic processes respectively. The figure below shows a series of DSC curves collected for methane at different pressures. The scales of all the heat flow curves are the same, but they have been offset from zero for clarity. Clearly identify the type of phase change associated with every peak in the DSC curve.


On the 0.1, 1 and 10 bar curves, there are two phase transitions observed so melting and boiling occurs. From the size of the peak is consistent with the single peak in the $\mathbf{1 0 0}$ bar being melting. The size of the peak in the $\mathbf{0 . 0 1}$ bar curve is not consistent with melting or boiling so it must correspond to sublimation.

Use the DSC data shown to sketch a pressure-temperature phase diagram on the graph below (note that pressure is on a log scale). Label all the important regions of the phase diagram.


- Consider the following aqueous voltaic cell at $25^{\circ} \mathrm{C}$ :

$$
\mathrm{Pb}(\mathrm{~s})\left|\mathrm{Pb}^{2+}(0.0010 \mathrm{M}) \| \mathrm{Sn}^{2+}(2.0 \mathrm{M})\right| \mathrm{Sn}(\mathrm{~s})
$$

Write balanced equations for the reactions occurring at the anode, cathode and overall.

| anode: <br> cathode: | $\mathbf{P b}(\mathrm{s}) \rightarrow \mathbf{P b}^{\mathbf{2 +}}(\mathrm{aq})+2 \mathrm{e}^{-}$ |
| :---: | :---: |
|  | $\mathbf{S n}^{2+}(\mathrm{aq})+2 \mathrm{e}^{-} \rightarrow \mathbf{S n}(\mathrm{s})$ |
| overall: | $\mathbf{S n}^{2+}(\mathrm{aq})+\mathbf{P b}(\mathrm{s}) \rightarrow \mathbf{P b}^{\mathbf{2 +}}(\mathrm{aq})+\mathbf{S n}(\mathrm{s})$ |

Calculate the potential of the cell under the stated conditions.

From the standard reduction potentials:

$$
E^{0}\left(\mathbf{P b}^{2+} / \mathrm{Pb}\right)=-0.126 \mathrm{~V} \text { and } E^{0}\left(\mathrm{Sn}^{2+} / \mathrm{Sn}\right)=-0.136 \mathrm{~V}
$$

As the $\mathbf{P b}^{\mathbf{2 +}} / \mathbf{P b}$ is the oxidation half cell in the cell described, this is reversed and the standard cell potential is:

$$
E_{\text {cell }}^{0}=E_{\text {red }}{ }^{0}+E_{0 \mathrm{x}}^{0}=(-0.136+(0.126) \mathrm{V}=-0.010 \mathrm{~V}
$$

As non-standard concentrations are used in the cell, the Nernst equation must be used to calculate the cell potential:

$$
E_{\mathrm{cell}}=E^{\circ}-\frac{R T}{n F} \ln Q
$$

From the reaction, $Q=\frac{\left[\mathrm{Pb}^{2+}(\mathrm{aq})\right]}{\left[\left[\mathrm{Sn}^{2+}(\mathrm{aq})\right]\right.}=\frac{\mathbf{0 . 0 0 1 0}}{2.0}=0.00050$
For this 2 electron reaction, $\boldsymbol{n}=2$ and the cell potential is:

$$
E_{\text {cell }}=(-0.010)-\frac{\left(8.314 \mathrm{~J} \mathrm{~K}^{-1} \mathrm{~mol}^{-1}\right)((25+273) \mathrm{K})}{(2)\left(96485 \mathrm{C} \mathrm{~mol}^{-1}\right)} \ln (0.00050)=+0.088 \mathrm{~V}
$$

Answer: $\mathbf{+ 0 . 0 8 8 ~ V}$
What will be the concentrations of $\mathrm{Pb}^{2+}(\mathrm{aq})$ and $\mathrm{Sn}^{2+}(\mathrm{aq})$ in the cell when it comes to equilibrium?

At equilibrium, $E^{0}=\frac{R T}{n F} \ln K$, hence:

$$
\begin{aligned}
& -0.010 \mathrm{~V}=\frac{\left(8.314 \mathrm{~J} \mathrm{~K}^{-1} \mathrm{~mol}^{-1}\right)((25+273) \mathrm{K})}{(2)\left(96485 \mathrm{C} \mathrm{~mol}^{-1}\right)} \ln K \\
& \ln K=-0.779 \text { so } K=\mathrm{e}^{-0.779}=0.459
\end{aligned}
$$

A reaction table can be used to work out the equilibrium concentrations.

|  | $\mathbf{S n}^{2+}(\mathbf{a q})$ | $\mathbf{P b}(\mathbf{s})$ |  | $\mathbf{P b}^{2+}(\mathrm{aq})$ | $\mathrm{Sn}(\mathrm{s})$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| initial | 2.0 | - | $\rightleftharpoons$ | 0.0010 | - |
| change | $-x$ |  |  | $+x$ |  |
| equilibrium | $2.0-x$ |  |  | $0.0010+x$ |  |

Hence,

$$
\begin{aligned}
& K=\frac{0.0010+x}{2.0-x}=0.459 \\
& 0.0010+x=0.459(2.0-x)=0.918-0.459 x \\
& 1.459 x=0.917 \\
& x=0.63
\end{aligned}
$$

The concentrations are therefore:

| $\left[\mathbf{S n}^{2+}(\mathrm{aq})\right]=(\mathbf{2 . 0}-\boldsymbol{x}) \mathrm{M}=(\mathbf{2 . 0}-\mathbf{0 . 6 3}) \mathrm{M}=\mathbf{1 . 4} \mathbf{M}$ |
| :---: |
| $\left.\left[\mathbf{S n}^{2+}(\mathbf{a q})\right]=(\mathbf{0 . 0 0 1 0}+\boldsymbol{x}) \mathbf{M}=\mathbf{( 0 . 0 0 1 0}+\mathbf{0 . 6 3}\right)=\mathbf{0 . 6 3} \mathbf{~ M}$ |
| $\left[\mathrm{Pb}^{2+}(\mathrm{aq})\right]=\mathbf{0 . 6 3} \mathbf{~ M}$ |

